

Meso-scale Simulations of Explosives:

A reality check

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- Meso-scale simulations

Continuum mechanical simulations that resolve heterogeneities

- Applied to explosives

Burn is dominated by hot spots

Weak ignition

Shock desensitization

Need to resolve hot spots

Subgrain in extent

- Reaction rates versus burn models

Reaction rates are for chemical processes

Burn models are homogenized or sub-grid models

Account for unresolved processes

- Goals

Quantitative understanding of hot spots and burn rate

▶ Develop improved burn models

Burn models: state of the art ?

Currently available burn models:

- ▶ Forest Fire
- ▶ DAGMAR “improvement” based on Lagrangian analysis
- ▶ Ignition & growth
- ▶ JTF

General comments:

- **Heuristic and empirical in nature**
How are model parameters determined ?
- **Models work for class of problems**
Those similar to experiments used for calibration
Same distribution of hot spots
- **Threshold phenomena**
Ignition sensitivity, particularly to weak stimulus
Needed to assess accident scenarios
Qualitative but not quantitative

Are models adequate ?

To judge burn models

- **Need suite of test problems**
Chuck Mader compiling problems this summer
Better to have consensus among modelers and users
- **Run all models on all tests**
Same model parameters for all tests
- **Need to study mesh convergence**
Distinction between model vs algorithmic implementation

AMRITA environment of James Quirk would be ideal tool

- **Fair comparison of models**
Change burn model leaving everything else fixed
Grid, hydro algorithm, viscosity, EOS, etc.
- **Automate running of tests**
Minimize human labor
- **Standardized output**
Plots of results on fixed scale
- **Open environment**
Anyone can examine source and results of tests
Take advantage of WWW to exchange information

Additional Challenge

Predict effect of aging on explosives
or more generally,

Predict sensitivity & performance based on

- Properties of components
HE & binder
- Micro-structure
Grain distribution
Defects such as voids
- Impurities
such as RDX in HMX-based PBX

For example

Predict differences in Pop-plot for HMX-based PBXs:

PBX-9404

PBX-9501

LX-10

EDC-37

Meso-Scale Simulations

Compaction Waves in Granular Bed of HMX

Compared with gas gun experiments of Sheffield, Gustavsen et al.

“Shock Loading of Porous High Explosives”

in **High-Pressure Shock Compression of Solids IV:**

Response of Highly Porous Solids to Shock Compression

LANL Shot #912 & Sandia Shot #2477

35% porosity & low impact velocity (280 m/s projectile)

Similar strength stress wave as DDT tube test of McAfee & Asay

“Compaction Wave Profiles: Simulations of Gas Gun Experiments”

<http://t14web.lanl.gov/Staff/rsm/preprints.html#CmpWvPrf>

Results:

- **Mechanical properties**

Heterogeneities give rise to fluctuations

Average fields have appearance of shock profiles

Compaction wave satisfies jump conditions

- **Temperature fluctuations**

Localized hot spots (**tail of temperature distribution**)

Peak temperature well below melting

Too low for burn

Homogenized model is fine for inerts but not sufficient for reactive flow

Key Issues for Reactive Simulations

- **Dissipative Mechanism**
 - ▶ Fluctuations are sensitive to heterogeneities & dissipation
Reaction rate dominated by tail of temperature distribution
 - ▶ Dissipation predominantly near interfaces
- **Geometry**
 - Granular bed is three-dimensional
 - Effects distribution of contacts and voids
 - Need 3-D simulations
 - Heterogeneities from anisotropy
- **Computational Dilemma**
 - Grain distortion vs accuracy at interface
 - Eulerian algorithms can handle large distortion
 - But interfaces are smeared out
 - Multi-scale problem
 - Resolution affects peak temperature
 - Need adaptive mesh refinement
- **Material Properties**
 - Significant uncertainty
- **Reaction Rate**
 - Significant uncertainty

Material Properties of HMX

More important for meso-scale simulations than engineering simulations

<http://t14web.lanl.gov/Staff/rsm/preprints.html#HMXmeso>

- **Hydrostatic EOS**

Fitting Forms for Isothermal Data (with Tommy Sewell)

<http://t14web.lanl.gov/Staff/rsm/preprints.html#IsothermFit>

- **Specific heat**

▶ Critical parameter for determining hot-spot temperature

At atmospheric pressure

C_p increases by 50% from room temperature to δ -transition

Variation presumably due to intra-molecular vibrations

Also, affects Grüneisen coefficient

- **Melt temperature**

At atmospheric pressure, $T_m = 550\text{ K}$

▶ Dependence on pressure ?

Affects viscosity coefficient

Model EOS accounts for latent heat but not volume change

- **Yield strength**

From elastic precursor, 2.6 kb

From hardness measurements, 1.3 kb

▶ Brittle ductile transition with confinement pressure

Reaction Rate

- **Arrhenius rate**, $R = (1 - \lambda)Z \exp(-T/T_a)$
R. Rogers data, Z & T_a for liquid phase
Shock in single crystal HMX (B. Craig)
For $P_s = 340 \text{ kb} \lesssim P_{\text{CJ}}$, induction time greater than $1 \mu\text{s}$
Orders of magnitude larger than predicted by rate constants
▶ Rate for single crystal and liquid are significantly different
- **Pressure dependence of rate**
Calorimetry data indicates Z is function of P .
- **Cook-off experiments**
Atmospheric pressure
Multi-step reaction
First step is $\beta - \delta$ transition (Henson et al.)
Endothermic, $\Delta T = Q/C_v \approx 200 \text{ K}$
Expansion $\Delta V/V \approx 8 \%$
Transition time $\sim 25 \text{ ms}$ at melting temperature
and decreases with increasing temperature
Nucleation depends on impurities/defects
For shock heating, possibly $\beta \rightarrow \text{liquid}$
Co-existence curves are not known
▶ Confinement would affect transition, $\Delta P = K \Delta V/V$

Model Problem

Shock initiation, $P_s \gtrsim 100 \text{ kb}$

Dominated by void collapse (Mader)

$$Re = \frac{\ell u \rho}{\mu} \gg 1 \text{ (for } \mu = 1 \text{ Poise, } \ell \gtrsim 1 \mu\text{m \& } u = 1 \frac{\text{mm}}{\mu\text{s}}, Re \gtrsim 20)$$

Likely to require less resolution than weak ignition

Single Curve Build-Up Principle & Pop-Plot

1. Implosion of single pore

► Reaction quenches due to expansion & heat conduction

Hot-spot temperature & energy release as function of P_s

2. Interaction of many pore collapses

Pressure waves from hot spots interact

Shock heating not sufficient

3. Coupling to shock front

As hot-spot temperature increases, induction time decreases

and time delay for acoustic wave to reach front decreases

Shock passing over void creates hot spot
Energy release from hot spot increases shock pressure
which increase strength of hot spot
and increases even more energy
Then feedback results in build-up to detonation

Both Pop-plot data and velocity profile data from gas gun experiments